

Sampling for grape virus diseases: Why and how?

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Funding acknowledgements

- Dominus Estate
- American Vineyard Foundation
- California Grape Rootstock Improvement Commission
- California Fruit Tree, Nut Tree and Grapevine Improvement Advisory Board (IAB)
- CDFR Specialty Crop Block Grant program

Grape virus disease epidemiology in QBE lab



A.J. Campbell
Red Blotch

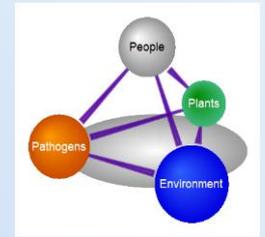


Kari Arnold
Leafroll

Topics for discussion

- Summary of progress
 - Leafroll epidemiology
 - Dynamics
 - Mealybug management groups
 - Red Blotch epidemiology
 - Preliminary analysis of dynamics
 - In-field Diagnostic development

*The great enemy of the truth is very often not the lie, deliberate, contrived and dishonest, but the myth, **persistent, persuasive and unrealistic.***



QBE
Lab

Leafroll doesn't spread
It's my leafroll, it's my problem

There's no problem

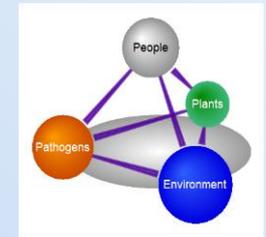
It's all down to infected nursery/planting stock

The problem is
someone else

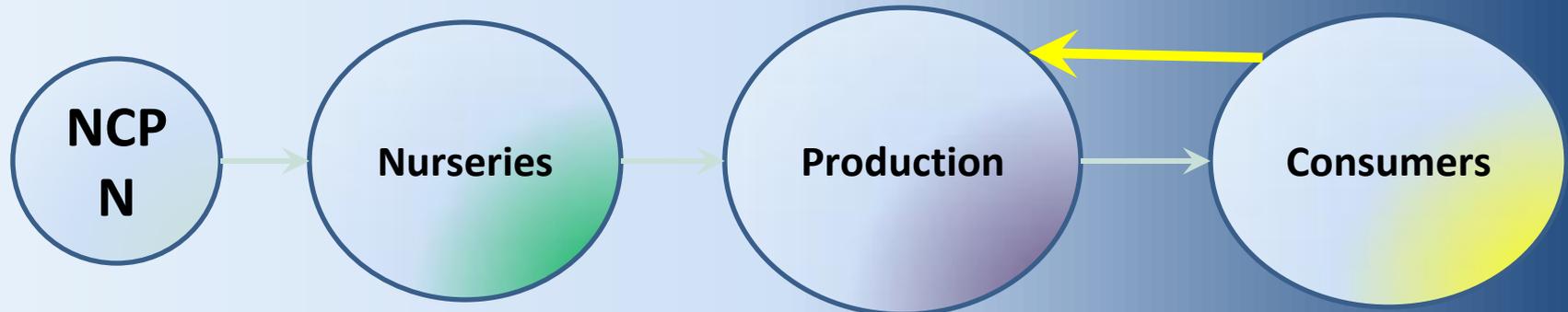
We don't understand the effect of
leafroll on grape quality
When life gives you lemons,
you might as well make lemonade

The problem is so
complicated that there's
nothing I can do so I'm
going to pretend there's
no
problem and hope for the
best

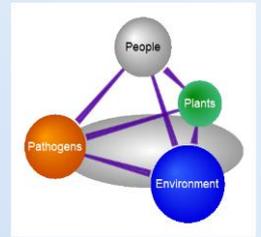
Between block infection causes shared costs and responsibilities



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The great enemy of the truth is very often not the lie, deliberate, contrived and dishonest, but the myth, **persistent, persuasive and unrealistic.**



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I WANT YOU...

**To join a neighborhood
management group**

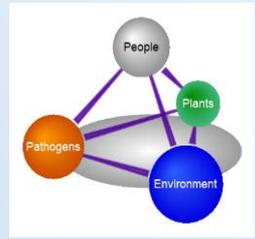


***There are risks and costs to action.
But they are far less than the long
range risks of comfortable
inaction.***

***Things do not happen. Things are
made to happen.***

Grape leaf roll disease

Grapevine leafroll associated viruses



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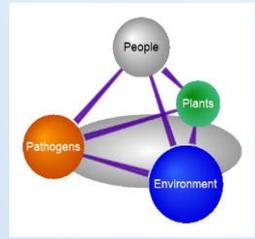


Grape mealybug,
Pseudococcus maritimus



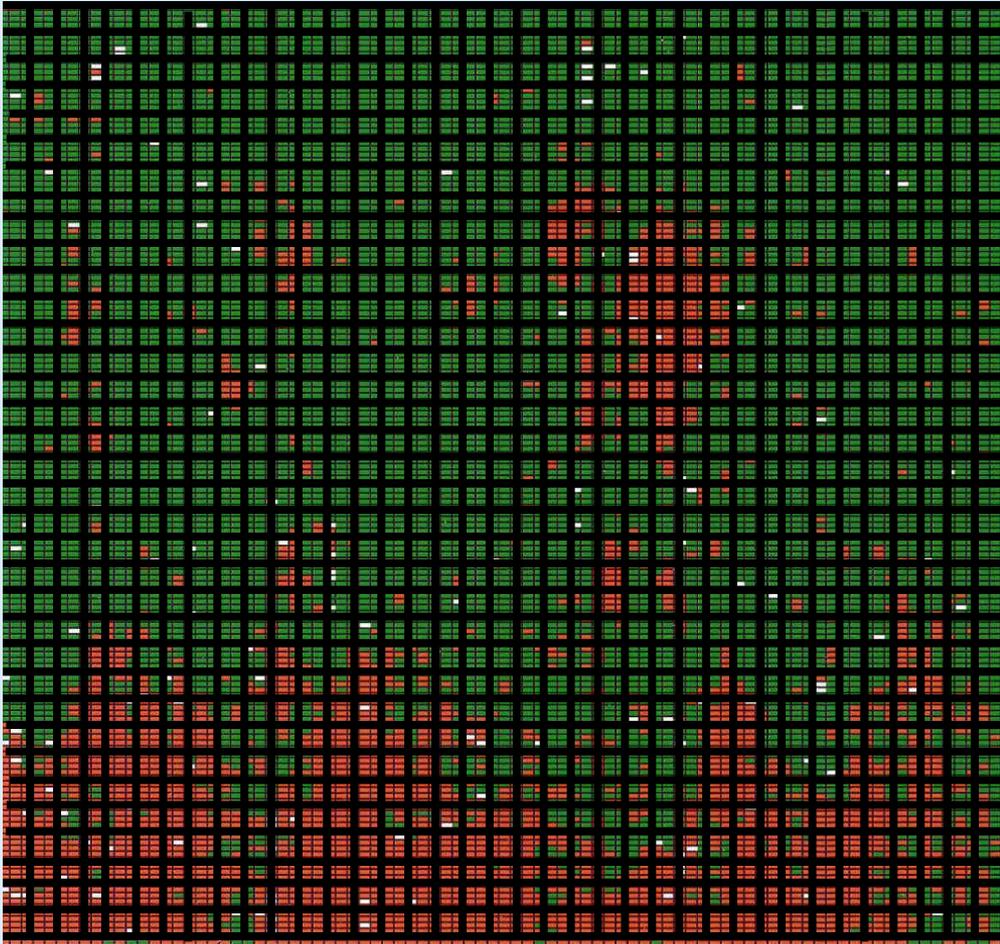
Vine mealybug,
Planococcus ficus

Spatial patterns of a GLRaV epidemics



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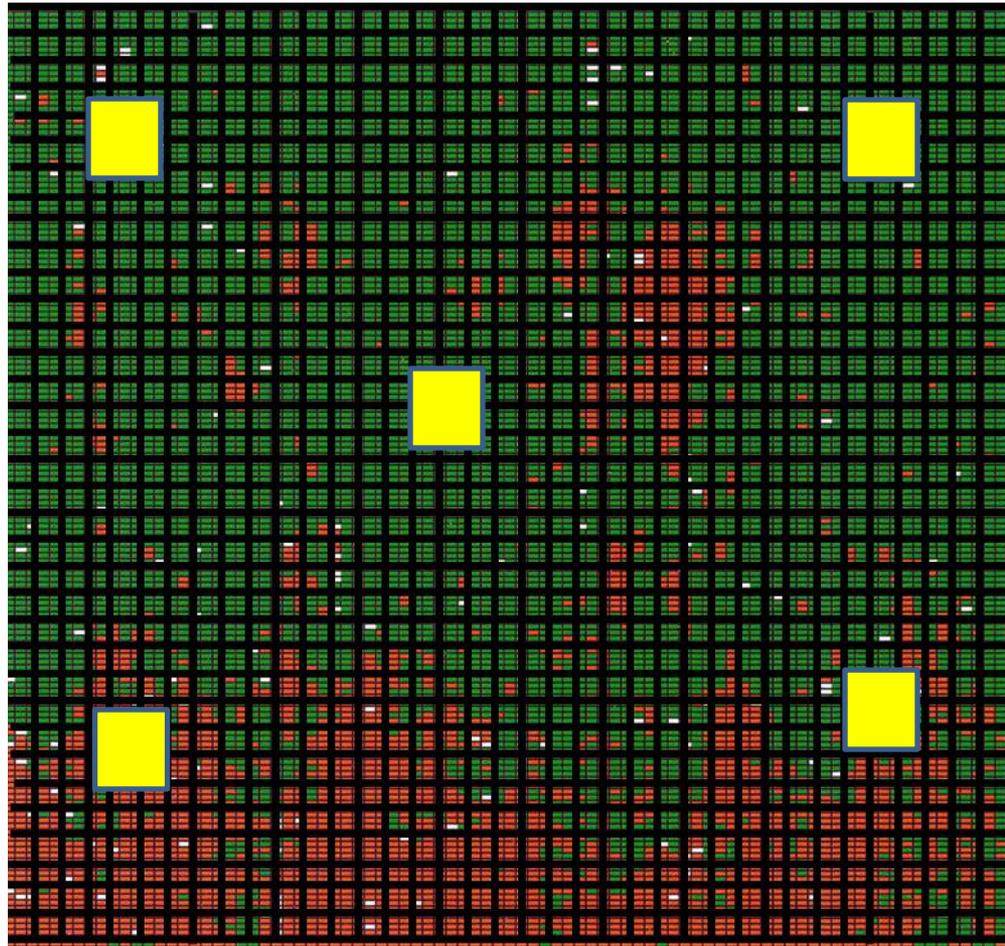
Overlay vineyard block maps with sampling grid

Count vine disease status in each quadrat.

Examine the statistical properties of the incidence at two scales

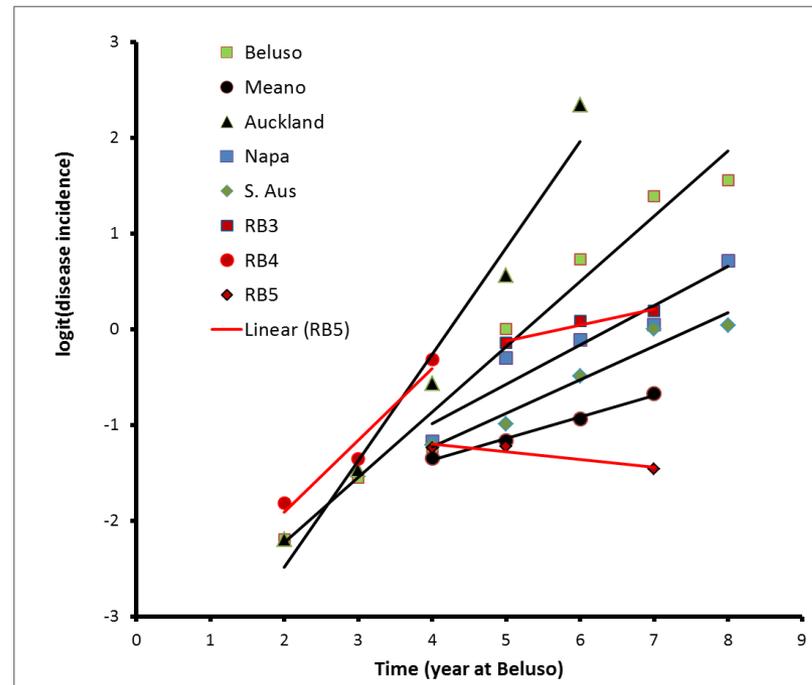
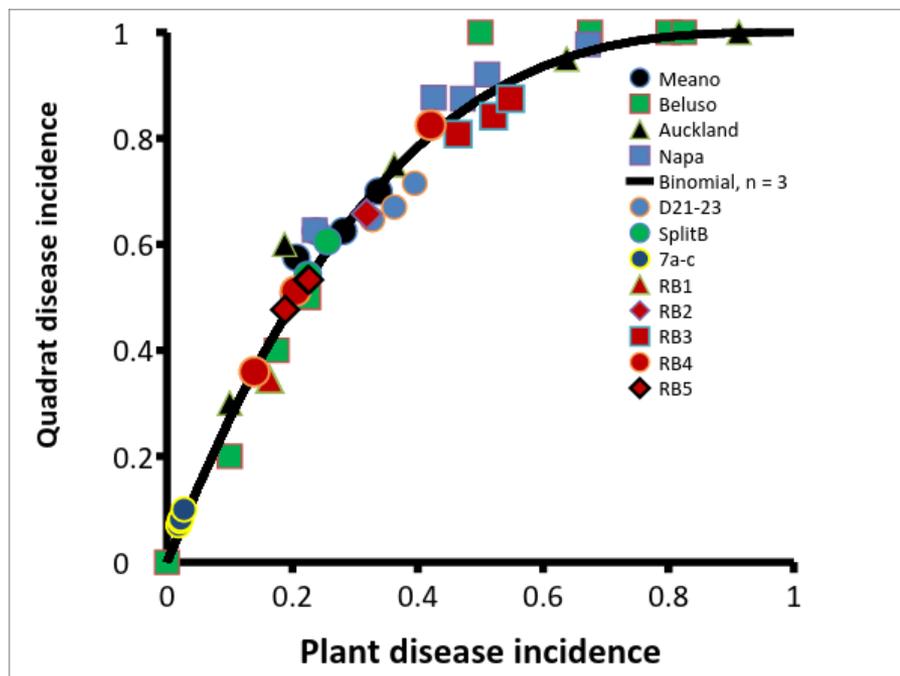


Where to sample?

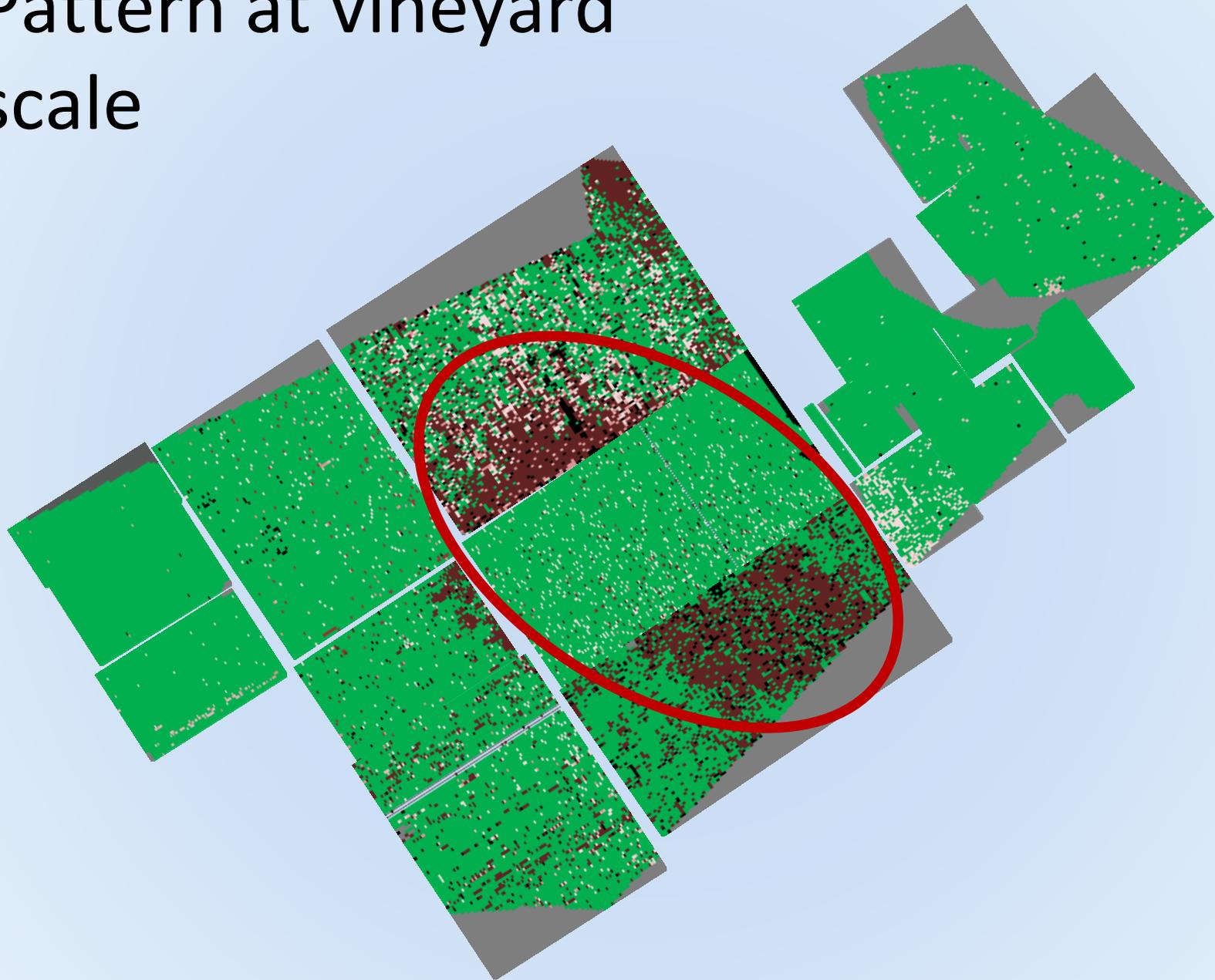


Get as much coverage of different areas of a block as possible

Spatial pattern and rate of spread of Red Blotch and Leafroll compared



Pattern at vineyard scale



Effective leafroll control is possible

- Planted in 2002
- Currently <1% infection

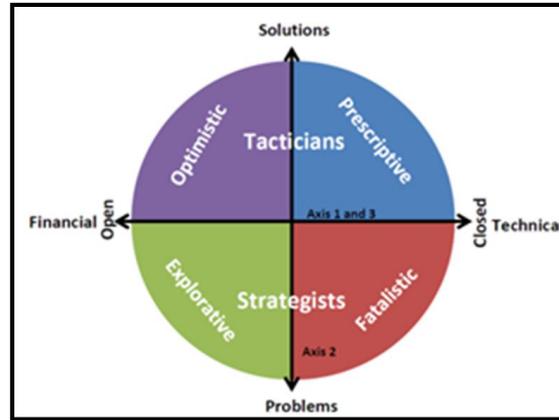
- Previously surrounded by (old) heavily infested blocks
- Did reach as high as 7% infection in the past few years, with rogueing and mealybug control, now <1% ...and stable with consistent control!
- Don't get discouraged!



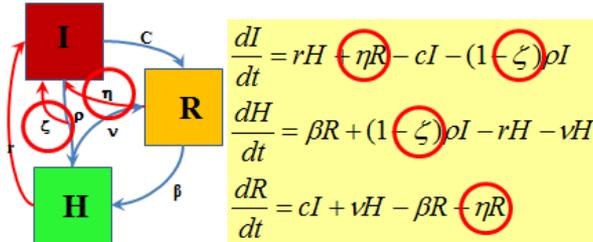
Latency Factors... "perfect world" ...gauge your progress

Leafroll epidemiology

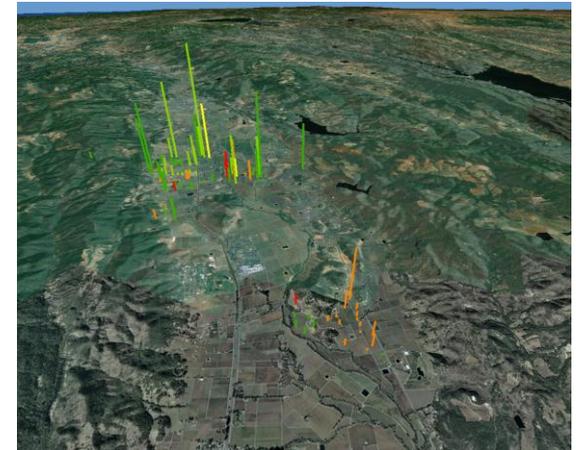
Sociological aspects



Inter-block meta-population model



LAMBA, Oakville



Locations of grower cooperation groups on virus management



North Coast

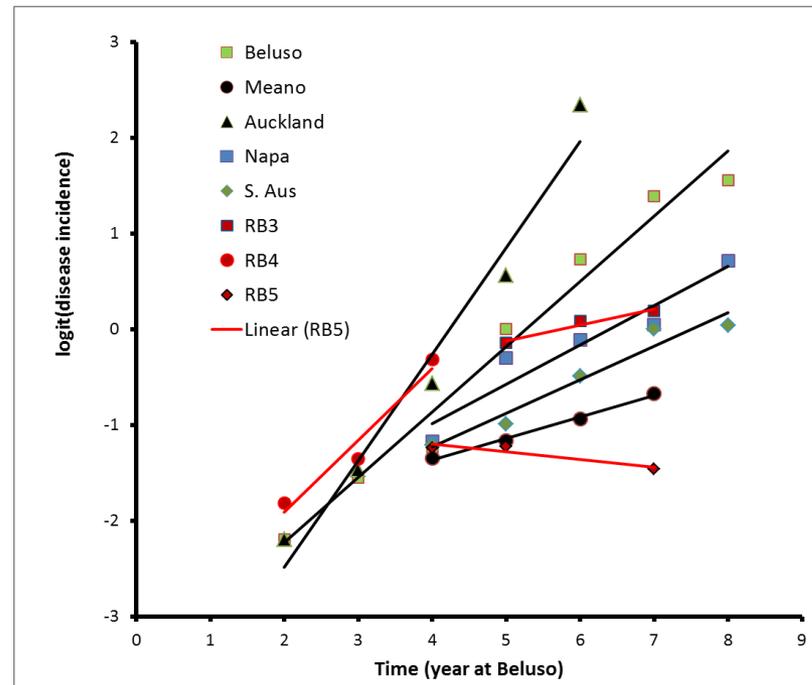
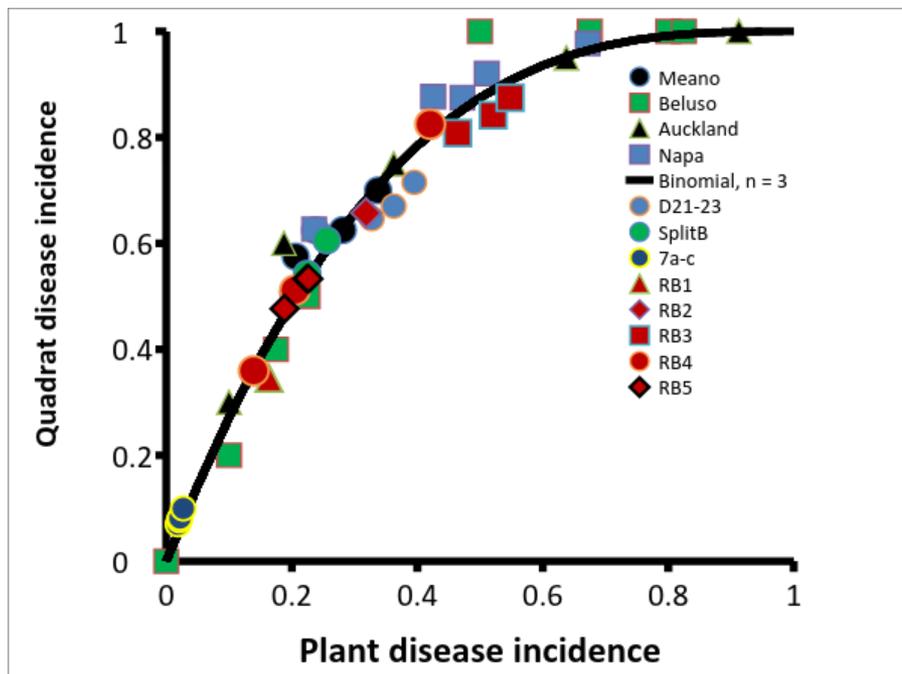
Monterey



Lodi?



Spatial pattern and rate of spread of Red Blotch and Leafroll compared



There are costs to making decisions of any kind. In varieties which express symptoms, does it always pay to take lab samples?

Visual ratings against PCR results in 12 Zinfandel vines

Disease Ratings	PCR result
0	neg
0	neg
0	neg
1	neg
1	neg
1	neg
2	neg
2	neg
2	pos
3	pos
3	pos
3	pos
4	pos
4	pos
4	pos
5	pos
5	pos
5	neg

Visual rating	PCR-	PCR+
<=2	8	1
>2	1	8
	0.9	0.1
	0.1	0.9

True Negative Proportion

False Positive Proportion = 1-TNP

True Positive Proportion

False Negative Proportion = 1-TPP

For decision-making under uncertainty, the likelihood ratios are important

LR+=	8
LR-=	0.125

Examples of prediction based on visual scoring

Positive prediction

Suppose $\text{Score} > 2$

$$p_{\text{prior}} = 0.36, \text{odds}_{\text{prior}} = 0.36 / (1 - 0.36) = 0.53$$

$$\text{odds}_{\text{post}} = 8 * 0.53 = 4.24$$

$$p_{\text{post}} = 4.24 / (1 + 4.24) = 0.81$$

Negative prediction

Suppose $\text{Score} \leq T$

$$p_{\text{prior}} = 0.36, \text{odds}_{\text{prior}} = 0.36 / (1 - 0.36) = 0.53$$

$$\text{odds}_{\text{post}} = 0.125 * 0.53 = 0.066$$

$$p_{\text{post}} = 0.066 / (1 + 0.066) = 0.06$$

Objective: The development of an ELISA assay for detection of GRBV

- **Benefits:**
 - The ELISA assay relies on the specific interaction between antibodies and a foreign protein, in this case the GRBV CP methods
 - More cost effective than current CP methods
 - Platform allows for high throughput testing
- The antibodies must be specific to only the GRBV CP, and must reliably bind with it in all samples, even with low virus titer
 - High degree of specificity and accuracy



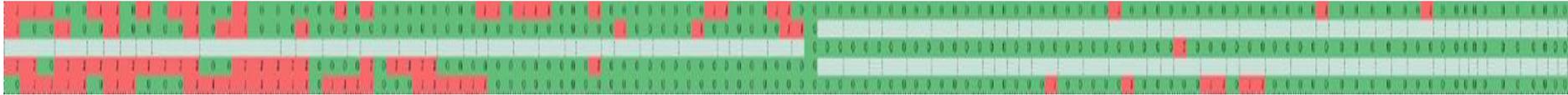
What has been accomplished so far:

- The regions of the GRBV CP most likely to have high binding efficiency have been identified
- 7 monoclonal antibodies (MAbs) for these regions have been produced (the Mab production process takes ~ 4 months)
- Our lab has received these antibodies along with the antigenic peptides used to generate them (these are used as positive controls in our experiments)
 - Target protein (CP) size verification
 - Determining the specificity and binding capacity of each MAb in Western blots and ELISA
 - The MAbs are tested against both natured (from leaf tissue) and denatured (protein extraction in lab) GRBV CP

Basic pieces simplest case random pattern of infected plants sampling for incidence

- The central issue of concern is the plant disease incidence, p . This is the proportion of diseased plants in a batch.
- Any diagnostic test is characterized by its false positive rate, e_{fp} (1-specificity) and false negative rate, e_{fn} (1-sensitivity). Frequency of positive tests: $\bar{y} = p(1 - e_{fn}) + (1 - p)(1 - e_{fp})$
- It follows that an unbiased estimate of p is:
 - $p^* = \frac{\bar{y} - e_{fn}}{1 - e_{fn} - e_{fp}}$
- And sample size is: $N = \frac{\bar{y}(1 - \bar{y})}{(1 - e_{fn} - e_{fp})^2} \left(\frac{z_{\alpha/2}}{h} \right)^2$
- h is the half-width of the confidence interval around the mean – smaller h = more precision = higher sample size

Sampling questions reveal shared responsibilities for quality



Example: Simple random sampling for incidence

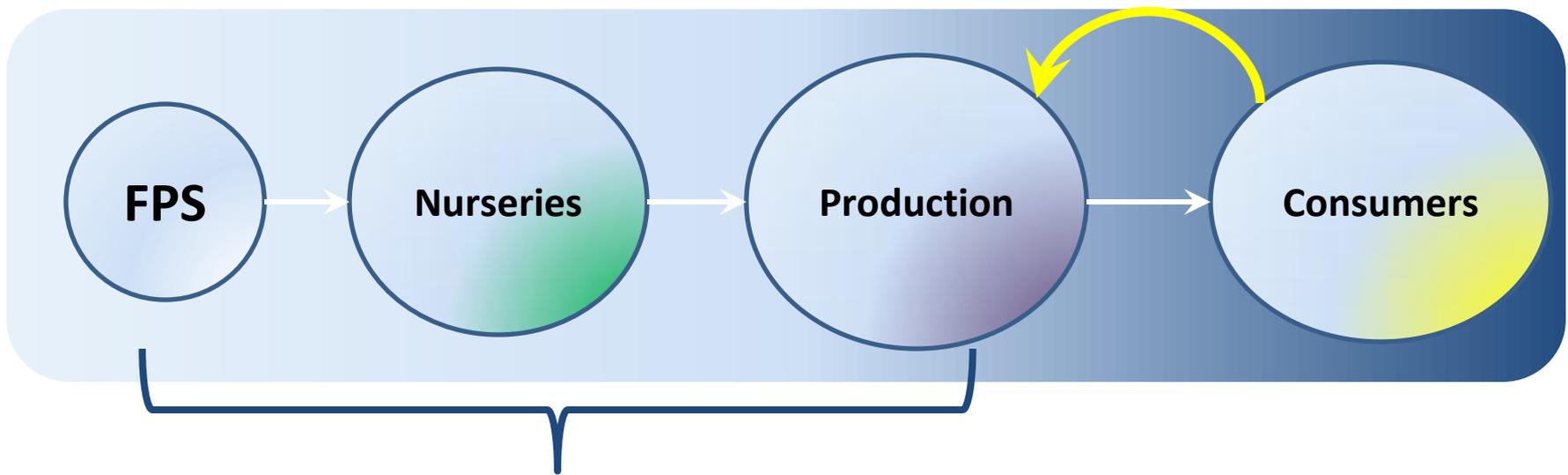
The anticipated disease incidence (nursery)

Sample size

$$N = \frac{\bar{y} \cdot (1 - \bar{y})}{(1 - \gamma - \eta)^2} \cdot \left(\frac{z_{\alpha}}{h} \right)^2$$

The diagnostic error rates (lab)

The desired level of confidence (nursery or grower)



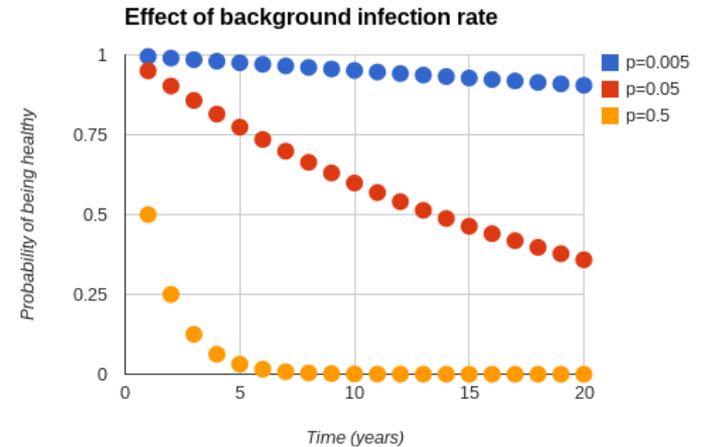
Sampling can be used to produce a supply chain with known performance for delivery of healthy vines

Assume background probability of vine being infected per year is p , so probability of staying healthy is $(1-p)$. Probability of being healthy after t years is $(1-p)^t$.

Let V_H = value of healthy vine

V_I = value of infected vine

Expected value of vine at time, t , = $\$[(1-p)^t V_H] + [1-(1-p)^t V_I]$



Lifespan of vines depending on background infection rate and quality threshold

